

# Butters and Magical Numbers 375 Points

Butters came to know that magical numbers are those numbers whose decimal representation (without leading zeros) contains only the magical digits  $x$  and  $y$ . For example, if  $x = 5$  and  $y = 3$ , then the numbers 53, 5, 335 are magical.

A positive integer  $Z$  is called magical number if there are such digits  $x$  and  $y$  ( $0 \leq x, y \leq 9$ ), that the decimal representation of number  $Z$  (without leading zeros) contains only digits  $x$  and  $y$ .

Butters has integer  $N$ . He wants to know how many positive integers are there that do not exceed  $N$  and are magical.

## Input

The only line of input will contain an integer  $N$ .

## Output

Print a single integer that says, how many positive integers are there that do not exceed  $n$  and are magical.

## Constraints

$$1 \leq N \leq 10^9$$

## Example

**Input:**

10

**Output:**

10

**Input:**

123

**Output:**

113

## Note:

In the second example case, the numbers 102, 103, 104, 105, 106, 107, 108, 109, 120 and 123 are not magical.