

# Alias

Alias is an assumed or additional name that constitutes a distinctive designation of a person. Consider a set of  $n$  persons and assume that each person has  $k$  distinct aliases. A person is identified using any one of its  $k$  aliases. The  $nk$  ( $= n \times k$ ) distinct aliases are identified using integers  $1, 2, \dots, nk$ . Integers  $1, 2, \dots, n$  represent the first aliases of all  $n$  persons in an arbitrary order. In general, integers  $(j - 1) \times n + 1, (j - 1) \times n + 2, \dots, (j - 1) \times n + n$  represent the  $j$ th alias of all  $n$  persons in an arbitrary order, for  $j = 1, 2, \dots, k$ . Persons in the set are totally ordered with respect to a quality characteristic  $Q$  associated with each person. Let  $Q(r)$  be the value of  $Q$  for a person identified by one of its alias  $r$ .

Given a sufficient number, say  $m$ , of inequalities of the type:  $Q(r) > Q(s)$ , you are required to write a program to sort all persons in descending order and recognize all aliases of each person in the set.

As a simple illustration consider distinct total marks scored by three students in an examination. Each student is identified by any one of three distinct aliases in the Name: {first-name middle-name last-name}. Let integers 1, 2, 3 represent the first names, 4, 5, 6 represent the middle names and 7, 8, 9 represent the last names in an arbitrary order. Let  $Q(r)$  be the total marks of student  $r$ ,  $r$  being an alias. Given the following inequalities:  $Q(6) > Q(1)$ ,  $Q(9) > Q(4)$ ,  $Q(5) > Q(8)$ ,  $Q(2) > Q(9)$ ,  $Q(7) > Q(3)$ ,  $Q(9) > Q(3)$ , one can conclude that the names of students appearing in descending order of total marks are {2 6 7}, {1 5 9} and {3 4 8}.

## Input

The input may contain multiple test cases.

For each test case the first input line gives the parameters  $n$ ,  $k$  and  $m$ .

The second line contains  $m$  inequalities represented by  $2 \times m$  integers. An integer  $r$  occurring in an odd numbered position in the line and the integer  $s$  occurring in the next even numbered position, represent the inequality  $Q(r) > Q(s)$ .

Assume that  $nk$  is less than 100 and each integer in the second input line is of two digits, including a non-significant 0 when required.

The input terminates with a line containing 0 as input.

## Output

For each test case print  $n$  lines giving  $k$  aliases of each person in a line; a line contains aliases in increasing order. Arrange persons in descending order of the quality characteristic  $Q$ . As in input, each integer in output is of two digits, including a non-significant 0 when required.

A blank line appears after the last output line of a test case.

## Example

### Sample Input

```
3 3 6
```

06 01 09 04 05 08 02 09 07 03 09 03

2 4 2

03 08 02 05

0

**Sample Output**

02 06 07

01 05 09

03 04 08

02 03 06 07

01 04 05 08