

PLAYING WITH BITS

The problem is very *simple*.

You are given a even number **N** and an integer **K** and you have to find the greatest odd number **M** less than **N** such that the sum of digits in binary representation of **M** is atmost **K**.

Input

For each testcase

You are given an even number **N** and an integer **K**

Output

For each test case, output the integer **M** if it exists, else print **-1**

Constraints

$$1 \leq T \leq 10^4$$

$$2 \leq N \leq 10^9$$

$$0 \leq K \leq 30$$

Example

Input:

```
2
10 2
6 1
```

Output:

```
9
1
```

Explanation

First case when $N=10$ $K=2$

Binary representaion of **10** is 1010 and binary representation of **9** is 1001 , hence greatest odd number less than **10** whose sum of digits in its binary representation is atmost **2** is **9**. Hence *output* is **9**