

Bouncing Balls

Consider a grid having $N \times M$ squares. The top left square is $(0,0)$ and the bottom right is $(N-1, M-1)$. Each square in the grid is either occupied by a platform or has a number written on it. Two balls are released from the top of the grid (from locations $(0, Y_1)$ and $(0, Y_2)$, $0 \leq Y_1, Y_2 < M$). Each ball falls down vertically, unless either it falls down the bottom row, or encounters a platform beneath. When the ball encounters a platform beneath, it rolls either to the left or to the right, each with an equal probability. The score obtained by a ball is the sum of the numbers on the squares that it passes (including the starting square). However, if both the balls pass over the same square, points corresponding to that square are obtained only once, and not twice. Your goal is to choose Y_1 and Y_2 such that the expected score obtained by the two balls is maximized. For example, consider the grid below : (P represents a platform)

$N = 6, M = 6$

112214

211243

30PPP2

423378

1P9753

220102

Here, dropping a ball from position $(0,3)$ could result in one of the following three scores :

$$1) 2 + 2 + 1 + 1 + 0 + 2 + 4 + 1 + 2 = 15$$

$$2) 2 + 2 + 1 + 1 + 0 + 2 + 3 + 9 + 0 = 20$$

$$3) 2 + 2 + 4 + 3 + 2 + 8 + 3 + 2 = 26$$

The expected score is (considering only 1 ball) :

$$1/2 * (1/2 * (15) + 1/2 * (20)) + 1/2 * (26)$$

Input

The first line contains the number of test cases.

The first line for each test case consists of N and M .

Lines $2..N+1$ for each test case consist of M characters each. Each character is either a digit from 0 to 9, or the letter 'P'.

Output

The maximum expected score accurate upto 4 decimal places.

Example

Input:

4

5 5

53214

53214

53214

54214

53214
5 5
00000
0P0P0
00000
01P20
00000
5 5
09090
0P0P0
00000
01P20
00000
6 6
112214
211243
30PPP2
423378
1P9753
220102

Output:

45.0000
2.2500
19.3125
35.5000

Constraints

Dataset 1: $1 \leq \text{number of test cases} \leq 100$

$3 \leq N, M \leq 100$

All possible paths from the top will eventually lead to the ball falling from the bottom. There will be no "rebounds" possible. If there is a 'P' on square (x,y) , there will not be a 'P' on squares $(x-1,y-1)$ or $(x-1,y+1)$ or $(x+1,y-1)$ or $(x+1,y+1)$. Also, platforms will not occur on the boundaries of the grid. Thus, the X coordinate of a platform will never be 0 or $N-1$, and the Y coordinate will never be 0 or $M-1$. The test case was generated to guarantee that any answer with absolute error in $1e-9$ will get accepted. Time limit: 7s