

# Continuous Fractions Again

A simple continuous fraction has the form:

$$a_1 + \frac{1}{a_2 + \frac{1}{a_3 + \frac{1}{\ddots + \frac{1}{a_n}}}}$$

where the  $a_i$ 's are integer numbers.

The previous continuous fraction could be noted as  $[a_1, a_2, \dots, a_n]$ . It is not difficult to show that any rational number  $p/q$ , with integers  $p > q > 0$ , can be represented in a unique way by a simple continuous fraction with  $n$  terms, such that  $p/q = [a_1, a_2, \dots, a_{n-1}, 1]$ , where  $n$  and the  $a_i$ 's are positive natural numbers.

Now given a simple continuous fraction, your task is to calculate a rational number which the continuous fraction most corresponds to it.

## Input

Input for each case will consist of several lines. The first line is two integer  $m$  and  $n$ , which describe a char matrix, then followed  $m$  lines, each line contain  $n$  chars. The char matrix describe a continuous fraction. The continuous fraction is described by the following rules:

- Horizontal bars are formed by sequences of dashes '-'.  
• The width of each horizontal bar is exactly equal to the width of the denominator under it.  
• Blank characters should be printed using periods '.'.  
• The number on a fraction numerator must be printed center justified. That is, the number of spaces at either side must be same, if possible; in other case, one more space must be added at the right side.

The end of the input is indicated by a line containing 0 0.

## Output

Output will consist of a series of cases, each one in a line corresponding to the input case. A line describing a case contains  $p$  and  $q$ , two integer numbers separated by a space, and you can assume that  $10^{20} > p > q > 0$ .

## Example

**Input:**

```
9 17
.....1.....
2.+-----
.....1....
```

....4+.-----  
.....1..  
.....1+.-----  
.....1  
.....5.+.-  
.....1  
5 10  
.....1...  
1+.-----  
.....1  
...11.+.-  
.....1  
0 0

**Output:**

75 34  
13 12