

Commuting Functions

Two functions f and g ($f, g: X \rightarrow X$) are commuting if and only if $f(g(x)) = g(f(x))$ for each x in X . For example, functions $f(x) = x + 1$ and $g(x) = x - 2$ are commuting, whereas functions $f(x) = x + 1$ and $g(x) = 2x$ are not commuting.

Each function h ($h: N_n \rightarrow N_n$, where $N_n = \{1, 2, \dots, n\}$ and n is positive integer) can be represented as a value list — a list in which the i -th element is equal to $h(i)$. For example, a function $h(x) = \text{ceil}(x/2)$ from N_5 to N_5 has the value list $[1, 1, 2, 2, 3]$.

The value lists are ordered lexicographically: list $[a_1 \dots a_n]$ is smaller than list $[b_1 \dots b_n]$ if and only if there exists such an index k that $a_k < b_k$, and $a_l = b_l$ for any index $l < k$.

The function f ($f: X \rightarrow X$) is bijective if for every y in X , there is exactly one x in X such that $f(x) = y$.

Given a bijective function f ($f: N_n \rightarrow N_n$, n is positive integer), find the function g that is commuting with f and has the lexicographically smallest possible value list.

Input

The first line of the input file contains the number of test cases. Each test case is described by a line containing a single integer number n — the number of the elements in the value list of a bijective function f ($1 \leq n \leq 200000$), followed by another line which contains the value list of the function f .

Output

For each test case, output a single line containing n integer numbers — the value list of function g that commutes with the function f and has the lexicographically smallest value list.

Example

Input:

```
2
10
1 2 3 4 5 6 7 8 9 10
10
2 3 4 5 6 7 8 1 9 10
```

Output:

```
1 1 1 1 1 1 1 1 1 1
1 2 3 4 5 6 7 8 9 9
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