

Covering the Corral

The cows are so modest they want Farmer John to install covers around the circular corral where they occasionally gather. The corral has circumference C ($1 \leq C \leq 1,000,000,000$), and FJ can choose from a set of M ($1 \leq M \leq 100,000$) covers that have fixed starting points and sizes. At least one set of covers can surround the entire corral.

Cover i can be installed at integer location x_i (distance from starting point around corral) ($0 \leq x_i < C$) and has integer length l_i ($1 \leq l_i \leq C$).

FJ wants to minimize the number of segments he must install. What is the minimum number of segments required to cover the entire circumference of the corral?

Consider a corral of circumference 5, shown below as a pair of connected line segments where both '0's are the same point on the corral (as are both 1's, 2's, and 3's).

Three potential covering segments are available for installation:

	Start	Length
i	x_i	l_i
1	0	1
2	1	2
3	3	3

0	1	2	3	4	0	1	2	3	...
corral: +---+---+---+---+---+---+---+---+---+ ...									
11111				1111					
22222222				22222222					
333333333333									
.....									

As shown, installing segments 2 and 3 cover an extent of (at least) five units around the circumference. FJ has no trouble with the overlap, so don't worry about that.

PROBLEM NAME: corral

INPUT FORMAT:

* Line 1: Two space-separated integers: C and M

* Lines 2.. $M+1$: Line $i+1$ contains two space-separated integers: x_i and l_i

SAMPLE INPUT

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5 3
0 1
1 2
3 3
```

OUTPUT FORMAT:

* Line 1: A single integer that is the minimum number of segments required to cover all segments of the circumference of the corral

SAMPLE OUTPUT

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