

Security

ou are designing a new encryption system that works in the following way:

For server-client communication you need a key k , composed of m sections, each of length l , and the key consists only of lowercase characters in the set $\{a, b, c, d, e, f\}$. The server has a key k_1 and the client has a key k_2 where:

$k_1 = f(k)$. f is a function that receives a key and replace some random letters by ? indicating that those characters can be any lowercase letter of the set described before.

$k_2 = f(g(k))$. g is a function that takes a key and produces a random permutation of its m sections. And f is the function defined above.

For example: let $m = 3$, $l = 2$

$f(\text{'abacbc'}) = \text{'?ba??c'}$

$g(\text{'abacbc'}) = \text{'acbcab'}$ (each section was moved one place to the left).

Your task is given k_1 and k_2 , find key k . If there are several solutions, print the lexicographically smallest key. And if there is no solution at all, print "IMPOSSIBLE" (without the quotes).

Input

The first line has a single integer T , which corresponds to the number of test cases. T test cases follows: the first line of the test case corresponds to the integer m , the second line contains the string k_1 and the third line contains the string k_2 .

Output

For test case i , numbered from 1 to T , output "Case #i: ", followed by the lexicographically smallest key or "IMPOSSIBLE".

Example

Input:

5

2

abcd

c?ab

3

ab?c?c

ac?c??

3

ab?c?c

aabbdd

2

aa

bb

2

abcd

cdab

Output:

Case #1: abcd

Case #2: abacac

Case #3: IMPOSSIBLE

Case #4: IMPOSSIBLE

Case #5: abcd

Constraints :

$T \leq 20$

$0 < |k1| \leq 100$

$0 < m \leq 50$

$|k2| = |k1|$

It is guaranteed that m is always a divisor of |k1|

k1 and k2 consist of {a, b, c, d, e, f, ?}