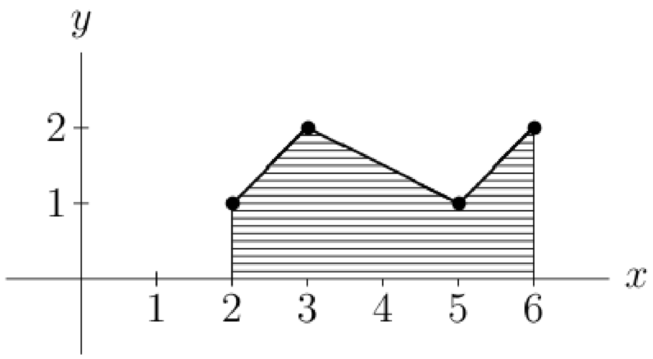
Integral Maximization

A set of points on the XY plane, all of them with different x coordinate, defines a polygonal line in the following way: sort the points in increasing order of their x coordinates, and connect each point with its neighbors. The integral of such polygonal line is the area contained below the line and above the x axis, between the first and last values of x. For instance, the set of points {(5, 1), (3, 2), (6, 2), (2, 1)} defines the polygonal line shown in the figure; the integral of the polygonal line is the shaded area, with a value of 6.



Given a set of N different values for x, and a set of N values for y, we want to pair them to form N points on the plane such that the integral of the polygonal line defined by the points is as large as possible.

Input

The input contains several test cases, each one described in exactly three lines. The first line of each test case contains an integer N indicating the number of points in the set ($2 \leq N \leq 10^4$). The second line contains N different integers Xi separated by single spaces ($1 \leq Xi \leq 10^4$ for $1 \leq i \leq N$); these integers represent the values of x and are given in increasing order ($Xi < Xi+1$ for $1 \leq i \leq N - 1$). The third line contains N integers Yi separated by single spaces ($1 \leq Yi \leq 10^4$ for $1 \leq i \leq N$); these integers represent the values of y and are not given in any particular order. The last line of the input contains a single −1 and should not be processed as a test case.

Output

For each test case output a single line with the maximum integral of a polygonal line formed by pairing the input values, using exactly one decimal digit. Notice that one decimal digit is always enough to represent the exact value of the integral of a polygonal line defined by points with integer coordinates.

Example

Input:
2
1 2
1 2
4
2 3 5 6

1 2 1 2
-1

Output:
1.5
7.0