Necklace

There are **N** points marked on a surface, pair $(\mathbf{x_i}, \mathbf{y_i})$ is coordinates of a point number **i**. Let's call a *necklace* a set of **N** figures which fulfils the following rules.

- The figure #i consists of all such points (\mathbf{x}, \mathbf{y}) that $(\mathbf{x} \mathbf{x_i})^2 + (\mathbf{y} \mathbf{y_i})^2 \le \mathbf{r_i}^2$, where $\mathbf{r_i} \ge 0$.
- Figures #i and #(i+1) intersect $(1 \le i < N)$.
- Figures #1 and #N intersect.
- All the rest pairs of figures do not intersect.

Write a program which takes points and constructs a necklace.

Input

First line of input contains an integer \mathbf{t} ($1 \le \mathbf{t} \le 45$), equals to the number of testcases. Then descriptions of \mathbf{t} testcases follow.

The first line of the description contains one integer number \mathbf{N} ($2 \le \mathbf{N} \le 100$). Each of the next \mathbf{N} lines contains two real numbers $\mathbf{x_i}$, $\mathbf{y_i}$ ($-1000 \le \mathbf{x_i}$, $\mathbf{y_i} \le 1000$), separated by one space. It is guaranteed that at least one necklace exists for each testcase.

Output

For each testcase your program should output exactly **N** lines. A line **#i** should contain real number $\mathbf{r_i}$ ($0 \le \mathbf{r_i} < 10000$). To avoid potential accuracy problems, a checking program uses the following rules.

- Figures #i and #j definitely do not intersect if r_i + r_j ≤ d_{ij} 10⁻⁵.
- Figures #i and #j definitely intersect if d_{ij} + 10⁻⁵ ≤ r_i + r_j.
- The case when $d_{ij} 10^{-5} < r_i + r_j < d_{ij} + 10^{-5}$ is decided in favour of a contestant.
- $\mathbf{d_{ij}}$ equals $sqrt((\mathbf{x_i} \mathbf{x_j})^2 + (\mathbf{y_i} \mathbf{y_j})^2)$ in the rules above.

Example

Input:

1 4

0 0

100

10 10

0 10

Output:

7

7

7

7