

# Random modulo n

Kubík went to buy a pizza. To his surprise, the pizza box was made out of recycled... punch cards!

With his eagle eye, he deciphered the program the punch cards described:

```
n = read_input();
ans = 0;
while(n > 0)
{
    ans = ans + 1;
    n = random() % n;
}
```

*random()* is a function which returns uniformly random non-negative integers, and % is the modulus operator.

Now he wonders what the expected value of *ans* would be for a given initial value of *n*, and he is unable to enjoy his pizza until someone computes the answer for him.

## Input

The first line contains an integer  $1 \leq T \leq 5$  - the number of test cases.

Each of the next *T* lines contain a single integer *n*, where  $1 \leq n \leq 300\,000$ . The sum of *n* within an input file won't exceed 300000.

## Output

Output the expected value of the variable *ans* – that is, the sum of  $v \times$  (probability that *ans* will end up with value *v*), for all possible values *v*.

Your answer will be considered correct if the absolute or relative error does not exceed  $10^{-9}$ . Make sure to print enough decimal places.

## Example

### Input:

```
2
2
47
```

### Output:

```
1.5
4.4379638417
```

*In the first case, either  $\text{random()} \% 2 = 0$  with probability  $1/2$ , which leads to  $\text{ans} = 1$ , or  $\text{random()} \% 2 = 1$  with probability  $1/2$ , after which we certainly get  $\text{random()} \% 1 = 0$ , so  $\text{ans} = 2$ .*

*Expected value of ans is therefore  $1 \times 1/2 + 2 \times 1/2 = 1.5$ .*