

# The Least Number

You are given  $n$  symbols  $a_1, a_2, \dots, a_n$ . You are told that there is a total ordering of the symbols. That is, there is a permutation  $[P_1, P_2, \dots, P_n]$  of  $[1, 2, \dots, n]$  such that  $a_{P_1} < a_{P_2} < \dots < a_{P_n}$ . You are trying to figure out the order by doing comparisons. The process you follow for determining the order is as follows:

- Compare  $[a_1, a_2]$
- Compare  $[a_2, a_3], [a_1, a_3]$
- Compare  $[a_3, a_4], [a_2, a_4], [a_1, a_4]$
- ....
- ....
- Compare  $[a_{n-1}, a_n], [a_{n-2}, a_n], \dots, [a_1, a_n]$

Note that you compare in the order specified. That is you compare  $[a_2, a_3]$ , then and only then do you compare  $[a_1, a_3]$ .

Definition of Compare $[a_i, a_j]$  ( $i < j$ )

- If Compare  $[a_i, a_j] = 1$ , it means  $a_i > a_j$ . If Compare $[a_i, a_j] = -1$ , it means  $a_i < a_j$ .
- Compare is consistent. Suppose, that you queried  $[a_2, a_6]$  and it was already established  $[a_2 < a_6]$  (because for example  $a_2 < a_5$  and  $a_5 < a_6$  - since both of these comparisons happen earlier), then  $[a_2, a_6]$  returns -1.
- If no relationship is known between  $a_i$  and  $a_j$ , Compare $[a_i, a_j] = 1$  with probability  $1/2$  and -1 with probability  $1/2$

Your task is to output the probability that  $a_1$  is the smallest element of the final ordering so obtained.

## Input

First line contains  $T$ , the number of test cases

Each of the next  $T$  lines contains one number each,  $n$  ( $1 \leq n \leq 1000$ ).

## Output

Output  $T$  lines in total, one per test case: Probability that  $a_1$  is indeed the smallest element at the end of the comparisons. Your output will be judged correct if it differs by no more than  $10^{-9}$  to the reference answer.

## Example

Input:

3

1

2

3

**Output:**

1

0.500

0.3750000

**Explanation:**

$n = 1$  is trivial

For  $n = 2$ , only comparison is  $[a_1, a_2]$ .  $a_1$  is lower with probability  $1/2$ .

For  $n = 3$ ,  $a_1$  is not the least element if either  $(a_1 > a_2)$  or  $(a_1 < a_2$  and  $a_3 < a_2$  and  $a_3 < a_1)$ .

So, probability that  $a_1$  is not the least element =  $1/2 + 1/8 = 5/8$ . Probability that  $a_1$  is the least =  $3/8 = 0.375$ .