

Sequence Function

We define a sequence $\{x\}$: $\{x\}=\{x_0, x_1, \dots, x_{n-1}\}$ where x_i is a interger.

We have a function $f: \{x\} \rightarrow \{x'\}$ where $\{x\}$ is a finite sequence.

After we have a finite sequence $\{x\}$, we can get $f(\{x\})$ follow these rules :

(1). Remove all 0 in x : $a\ 0\ b\ 0\ c\ d\ 0\ e\ f\ 0\ g \Rightarrow a\ b\ c\ d\ e\ f\ g$

(2). Turn 1 into 100 and -1 into -100 : $a\ 1\ b\ 1\ -1\ c\ d\ e\ f\ g \Rightarrow a\ 100\ b\ 100\ -100\ c\ d\ e\ f\ g$

(3). Add all 2^k ($k>1$) at the end of the sequence : $a\ 2\ b\ 8\ c\ d\ e\ 1024\ f\ g \Rightarrow a\ 2\ b\ 8\ c\ d\ e\ 1024\ f\ g\ 2\ 8\ 1024$

(4). Add any positive odd prime x at the end of the sequence $x-1$ times: $a\ 3\ b\ c\ 7\ d\ e\ f\ 5\ g \Rightarrow a\ 3\ b\ c\ 7\ d\ e\ f\ 5\ g\ 3\ 3\ 7\ 7\ 7\ 7\ 7\ 5\ 5\ 5\ 5$

(5). For any positive composite number (not 2^k , $k>1$), we just keep it once: $a\ 6\ b\ 6\ c\ d\ 6\ e\ 4\ 4\ f\ g \Rightarrow a\ 6\ b\ c\ d\ e\ 4\ 4\ f\ g$

(6). Keep any t ($t<-1$) in the sequence.

For a example:

$\{x\}=\{-5\ 1\ 0\ 2\ 9\ 16\ 7\ 5\ 3\ 2\ 9\ 9\ -1\}$

$f(\{x\})=\{-5\ 100\ 2\ 9\ 16\ 7\ 5\ 3\ 2\ -100\ 2\ 2\ 16\ 7\ 7\ 7\ 7\ 7\ 5\ 5\ 5\ 5\ 3\ 3\}$

We define $g(\{x\})$ is the sum of all the element in sequence x .

We define $h(\{x\}) = g(f(\{x\})) - g(\{x\})$.

A consecutive sequence of x is a sequence $\{x_i, x_{i+1}, x_{i+2}, \dots, x_j\}$ where $0 \leq i \leq j < n$.

Now I will give you a sequence $\{x\}$.

I want to ask you the maximal $h(\{y\})$ where $\{y\}$ is a consecutive sequence of $\{x\}$.

Input

One line consists one interger N , the length of $\{x\}$. ($N \leq 10^5$, $|x_i| \leq 10000$)

Next N lines, each line consists one interger.

Output

The maximal $h(\{y\})$ where $\{y\}$ is a consecutive sequence of $\{x\}$. ($|h(\{y\})| \leq 2^{63}-1$)

Example

Input:

5

1

2

6

6

3

Output:

101