

# The art of tree numbers

A number is called a *tree\_num* while it can be partition into sum of some distinct powers of 3 with natural exponent. Example : 13 and 90 are *tree\_num* because  $13 = 3^2 + 3^1 + 3^0$ ,  $90 = 3^4 + 3^2$ .

Let  $tree\_num(i)$  be the  $i$ -th largest *tree\_num*.

Example :  $tree\_num(1) = 1$ ,  $tree\_num(2) = 3$ ,  $tree\_num(5) = 10$ , ...

Let

$$F(L, R) = \sum_{i=L}^R tree\_num(i)$$

Your task is to find  $F(L, R)$  with some given  $L, R$ .

## Input

- First line : an integer  $T$  – number of testcases ( $1 \leq T \leq 100000$ )
- Next  $T$  lines : each line contains two number –  $L$  and  $R$  ( $1 \leq L \leq R \leq 10^{18}$ )

## Output

- For each pair  $(L, R)$ , output a line containing the value  $F(L, R)$ . Since those values can be very large, just output them modulo  $2^{32}$

## Example

**Input:**

5  
1 3  
3 3  
4 5  
6 7  
2 5

**Output:**

8  
4  
19

Processing math: 100%