

# Con-Junctions

The city of **Y-O** is a network of two-way streets and junctions with the following properties:

1. There is no more than one street between each pair of junctions.
2. Every junction is connected to every other junction either directly via a street or through other junctions by a unique path.
3. When a light is placed at a junction, all the streets meeting at this junction are also lit.

A valid lighting is a set of junctions such that if lights were placed at these, all the streets would be lit. An optimal lighting is a valid lighting such that it contains the least number of junctions.

The task is divided into two subtasks:

1. Find the number of lights in an optimal lighting.
2. Find the total number of such optimal lightings in the city.

## Input

- The first line of the input contains a positive integer  $t \leq 20$ , denoting the number of test cases.
- The description of the test cases follows one after the other.
- **Network Description:**
  - The first line of description of a network consists of a positive integer  $n \leq 100010$  denoting the number of junctions in the network.
  - Each junction is numbered with a unique integer between  $1$  and  $n$ .
  - The following  $n-1$  lines contain a pair of integers  $u v$  ( $1 \leq u, v \leq n$ ) separated by a single space denoting that there is a street between junction  $u$  and junction  $v$ .

## Output

The output must consist of  $t$  lines, the  $k^{\text{th}}$  line corresponding to the  $k^{\text{th}}$  network; ( $1 \leq k \leq t$ ). The  $k^{\text{th}}$  line must contain two integers separated by a single space. The first integer on the  $k^{\text{th}}$  line must be the number of junctions in an optimal lighting of network  $k$ . The second integer must be  $N\%10007$ , which is the remainder left by the number of optimal lightings when divided by  $10007$ .

## Example

**Input:**

```
2
4
1 2
2 3
3 4
3
1 2
1 3
```

**Output:**

```
2 3
1 1
```